# MOLECULAR EVOLUTIONARY DIVERGENCE AMONG NORTH AMERICAN CAVE CRICKETS. II. DNA-DNA HYBRIDIZATION 

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#### Abstract

Single-copy DNA divergence among 23 populations of cave crickets belonging to two genera (Euhadenoecus and Hadenoecus) has been determined by DNA-DNA hybridization employing the TEACL method. These same populations have been studied for allozyme variation (Caccone and Sbordoni, 1987). In addition, a European relative (Dolichopoda laetitiae) has been included as an outgroup for rooting the phylogeny. One of the most remarkable findings is the large degree of DNA divergence among these species and populations. A $\Delta T_{\mathrm{m}}$ of up to $5^{\circ} \mathrm{C}$ has been found between populations of the same species; even further divergence is indicated by a lowered normalized percentage of reassociation. A phylogeny was constructed and tested for synchrony of rates, i.e., a molecular clock. Statistically, we could not reject the clock hypothesis. Attempts to calibrate the clock led to the conclusion that these insects are among the fastest evolving (with respect to single-copy DNA) groups yet studied-at least as fast as Drosophila and sea urchins-where a $\Delta T_{\mathrm{m}}$ of $1^{\circ} \mathrm{C}$ indicates 0.5 to 1.5 MY since the last common ancestor. In general, the phylogeny derived from the DNA data agrees with that derived from isozymes. Nei's $D$ and $\Delta T_{\mathrm{m}}$ are correlated; in this group a $D$ of 0.1 corresponds to a $\Delta T_{\mathrm{m}}$ of about $1.5^{\circ} \mathrm{C}$. This indicates that, relative to total single-copy DNA, the protein-coding regions of the genome are slowly evolving.


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Quantitative measurement of degrees of genetic differentiation between populations and species has long been a goal of evolutionary genetics. Several types of data, useful in different contexts, may be gathered. For example, population-genetic models require allele and genotype frequencies, as might come from electrophoretic surveys of protein variation or from determination of restriction-fragment length polymorphisms. For other purposes, such as systematics and studies of rates of molecular evolution, averages of differentiation over the total genome may be more useful. In the preceding paper (Caccone and Sbordoni, 1987) allozyme data for two genera of cave crickets were presented and analyzed in the context of population genetics. Here, we present data on the same populations and species for overall average differentiation as measured by DNA-DNA hybridization. The emphasis will be on constructing phylogenies, studying rates of DNA evolution in this group, and comparing DNA data with allozyme data.

Details of the natural history of the species were presented in the preceding paper (Caccone and Sbordoni, 1987) and will not be repeated here. Twenty-three of the 49 populations previously studied (Caccone and Sbordoni, 1987) were used in the DNADNA hybridization studies. They represent all nine species of the two genera of the North American Hadenoecini: Euhadenoecus adelphus, E. puteanus, $E$. fragilis, $E$. insolitus, Hadenoecus jonesi, H. barri, $H$. opilionoides, $H$. cumberlandicus, and $H$. subterraneus. In addition, for the DNA studies, we include as an outgroup Dolichopoda laetitiae. This species belongs to the European tribe Dolichopodini, which are considered to be the Hadenoecini's closest relatives (Hubbell and Norton, 1978).

The technique of DNA-DNA hybridization relies on the fact that double-stranded DNA becomes single-stranded when heated. The temperature at which the strands separate is determined by the fidelity of base pairing. Thus, homoduplexes (duplex DNA in which both strands were derived from

Table 1. List of all Euhadenoecus, Hadenoecus, and Dolichopoda populations studied and their three-letter abbreviations.

[^0]the same source) melt at a higher temperature than do heteroduplexes (duplex DNA in which the strands are from different sources), assuming there is some degree of genetic differentiation between the sources (i.e., different populations or species). The change in melting temperature can be directly related to base-pair mismatch (Britten et al., 1974). In addition to fidelity of base pairing, under most conditions, duplex stability is also determined by base composition: A-T bonds are weaker than G-C bonds. In the studies presented here, we have
eliminated the base-composition effect by using the TEACL method of determining melting temperatures of DNA. While the TEACL technique has been used to study differentiation between sea urchins (Britten et al., 1978; Hall et al., 1980; Roberts et al., 1985) and Drosophila (Hunt et al., 1981; Hunt and Carson, 1983; Powell et al., 1986; Caccone et al., 1987), the present study is the most extensive application of this technique to date.

The power of DNA-DNA hybridization data to reconstruct phylogenies lies in the fact that one obtains an overall average divergence across the genome, i.e., over millions of base pairs. Two of the most important factors that can lead to inaccurate phylogenies, selection and chance, are virtually eliminated by the technique. At any given time, parts of a species' genome may be under selection to evolve rapidly, remain stable, or converge to sequences possessed by other species. However, such areas of the genome probably represent a very small part of the total, so that averaging across the total genome essentially eliminates misleading effects of selection. It is also nearly inconceivable that the sequence of millions of nucleotides would be similar due to chance, rather than common descent. As Gould (1985) pointed out, the complexity inherent in sequences of millions of nucleotides presents the best chance of distinguishing homology from analogy. Sibley and Ahlquist (1983) discuss in more detail the robustness of data from DNA-DNA hybridization studies for the construction of phylogenies.

A more controversial issue is whether data from DNA-DNA hybridization can be used as a molecular clock. We will address this issue and conclude that, with the statistical tests available, the molecular clock cannot be rejected. Further, in attempting to estimate a calibration for the clock, we conclude with Britten (1986a) that there is no single molecular clock that holds across all taxa. Cave crickets appear to be very rapidly evolving species (with respect to DNA), at least as fast as Drosophila and sea urchins.

## Materials and Methods

Table 1 lists the 24 populations of cave crickets utilized in this study, together with their geographic location and a three-letter
symbol by which they will be referred to subsequently. All nine species belonging to the tribe Hadenoecini are represented. The populations studied have previously been assayed electrophoretically for gene variation at the isozyme level, and the information on the species' distribution ranges and the populations' geographic locations are available in the preceding paper (Caccone and Sbordoni, 1987). When more than one population for each species have been utilized, the populations chosen have been the ones that, on the basis of morphology and isozyme analysis, were representative of the geographic variation of the species. H. barri is the only species in which only one population (CUM) has been analyzed, due to lack of material.

DNA Extraction and Sonication.-For each population, DNA was extracted from 10-30 frozen adult crickets belonging to both sexes. Crickets were ground in a sucroseEDTA buffer (Goldring and Peacock, 1977), and the crude homogenate was passed through glass wool to remove debris. Nuclei were pelleted and resuspended in a 0.4 M EDTA, 10 mM Tris, and $2 \%$ sarkosyl, pH 9.5 lysis buffer. After 10 min of incubation at $65^{\circ} \mathrm{C}$, proteins were digested with Proteinase $\mathrm{K}(100 \mu \mathrm{~g} / \mathrm{ml}$ of lysate) for 3 hr at $50^{\circ} \mathrm{C}$. After removing debris by centrifugation, $\mathrm{CsCl}(0.91 \mathrm{~g} / \mathrm{ml})$ and ethidium bromide ( $250 \mu \mathrm{~g} / \mathrm{ml}$ ) were added to the supernatant, and the solution was spun to equilibrium in an ultracentrifuge ( 36,000 rpm for 48 hr in a Beckman SW50 rotor). The fluorescent band was collected, and the ethidium bromide was extracted with butanol. The DNA was then ethanol precipitated and resuspended in $\mathrm{H}_{2} \mathrm{O}$, and its concentration was measured by spectrophotometry. Concentrations varied from 1 to $5 \mu \mathrm{~g} / \mu \mathrm{l}$. The DNA was then sonicated by using a high-intensity ultrasonic cell disruptor to obtain fragments ranging from 800 to $1,200 \mathrm{bp}$. These preparations represent the driver DNAs in each experiment.

DNA Labeling and Tracer Preparation. One microgram was removed from the sonicated solutions and tritium-labeled by nicktranslation (Maniatis et al., 1982). To obtain single-copy DNA, it is necessary to know the reassociation kinetics of the native DNA of the organisms under study. In this
study, it was assumed that the percentage of repetitive DNA in cave crickets was similar to that found in other insects, namely 20-40\% (Laird and McCarthy, 1969; Spradling and Rubin, 1981; Sperlin et al., 1976; Sohn et al., 1975). Single-copy tracer was prepared by dissociating the labeled DNA by heating. This was followed by reassociation in 0.48 M sodium phosphate buffer at $60^{\circ} \mathrm{C}$ to a $\mathrm{C}_{\mathrm{o}}$ t of 50 (moles/liter)sec. Dou-ble-stranded DNA was removed by absorption to hydroxylapatite (Britten et al., 1974). Between $30 \%$ and $50 \%$ of the DNA bound to the column. The remaining fraction that did not bind was collected, dialyzed to remove the sodium phosphate, ethanol precipitated, pelleted by centrifugation, and resuspended in $100 \mu \mathrm{l}$ distilled water. This fraction constitutes the tracer DNAs. Their specific activities varied between 1 and $15 \times$ $10^{6} \mathrm{cpm} / \mu \mathrm{g}$.

Reassociation Conditions and Determination of Melting Temperatures. - Tracers were prepared from all the 24 populations, but, since specific activities varied considerably, not all possible pairwise combinations were studied. However, at least three melts were performed for each tracer (a homoduplex and two heteroduplex hybrid combinations). Methods for analyzing the thermal stability of duplex DNA molecules by S1 nuclease digestion in 2.4 M tetraethylammonium chloride (TEACL) are described in detail in Hall et al. (1980), Hunt et al. (1981), and Grula et al. (1982). Radioactively labeled tracers were reassociated with an excess of unlabeled driver DNA $(1: 1,000)$ to $\mathrm{C}_{\mathrm{o}} \mathrm{t} 6,000$ or more in 1 M TEACL at $45^{\circ} \mathrm{C}$. These conditions give a similar stringency as the one in phosphate buffer at $60^{\circ} \mathrm{C}$ (Orosz and Wetmur, 1977), namely, a base-pair match of about $75 \%$ or greater is required for stable duplex formation. Following reassociation, the duplex molecules were lightly digested with S1 nuclease at $37^{\circ} \mathrm{C}$ under conditions sufficient to remove $90 \%$ of the single-stranded material. An aliquot was saved for determining the length distribution of the S1-resistant tracer. The remaining solution was fractionated by Sephadex G-100 chromatography using 2.4 M TEACL as the elution buffer. Percentage reassociation was determined as the ratio of counts in the fractions
with intact duplexes to those in fractions with digested nucleotides.

The S1-resistant fraction was used for melting in a temperature block after adjusting the TEACL to 2.4 M with a refractometer. Thermal stability was assayed as described in Hunt et al. (1981). Briefly, the samples are divided in $100 \mu \mathrm{l}$ fractions and placed in an aluminum block heated by circulating water at either end to give a linear temperature gradient. After 30 min , tubes are removed from the gradient and S1-digested (sufficient to give $99 \%$ digestion). The S1-resistent duplexes were precipitated, and the radioactivities in the supernatant and pellet were determined by scintillation counting. The percentage of radioactivity digested by nuclease S1 is then plotted against the melting temperatures to determine the melting curve. For all comparisons, a 12 -point data set was obtained, and replicates were carried out for several temperature points (usually three or four). Between three and nine replicates were performed for the majority of the experiments.

Size Analysis of DNA Fragments.-Size distribution of the tracers after the first S1 digestion was determined following Hunt et al. (1981). The aliquots removed after the first S 1 digestion were size-fractionated on a 3\% alkaline agarose gel (McDonnell et al., 1977) using oligonucleotides obtained by digestion of pBR322 with Hinf I restriction endonuclease as markers. The $T_{\mathrm{m}}$ corrected for tracer length was calculated using the formula in Hall et al. (1980).

Statistical Analysis. - Percentage of reassociation and median melting temperatures are the two statistics commonly used to measure the degree of thermal stability of DNA duplexes. Percentage of reassociation was calculated as the percentage of the tracer that was not digestible by the first S1 nuclease treatment. Since a significant amount of the tracer is digestible by S1 in the heterologous reactions, the reaction percentages in these cases are normalized to that in the homoduplex, which is defined as 100 . The median melting temperature (the temperature at which $50 \%$ of the single copy DNA that hybridized is dissociated) was determined by linear interpolation of the melting curves. This was done after having normalized the single-stranded DNA values
with respect to two controls, one on ice and one heated to over $85^{\circ} \mathrm{C}$, which represent $0 \%$ and $100 \%$ single-stranded (SS) DNA, respectively. Heteroduplex curves may start higher than homoduplex curves, because some melting occurs at the lowest temperatures of the block. Median melting temperatures $\left(t_{m}\right)$ for the 12 -points experiments and for replicates were averaged and the associated standard errors were calculated. These values were corrected by adding the temperature correction-factor obtained by the size analysis to produce corrected estimates of thermal stability, here symbolized as $T_{\mathrm{m}}$ 's. Therefore, the symbol $t_{\mathrm{m}}$ refers to the uncorrected median melting temperature, while the symbol $T_{\mathrm{m}}$ refers to the same estimate corrected for the tracer's length. For a theoretical and empirical justification for this correction, see Hall et al. (1980).
The $\Delta T_{\mathrm{m}}$ values (i.e., $T_{\mathrm{m}}$ of the homoduplex minus $T_{\mathrm{m}}$ of the heteroduplex from the same tracer DNA preparation) provide a quantitative measure of the overall level of divergence between the two taxa considered. These values were computed for all the experiments performed, along with their associated standard errors, by using the formula in Caccone et al. (1987).

Reciprocal comparisons (i.e., two hybridization experiments with each of the two taxa used in one reaction as tracer and in the other as driver) were carried out for most of the experiments to ensure that no major technical problems were present (theoretically they should yield the same results). Since reciprocity was holding for the vast majority of the experiments, some comparisons were carried out without reciprocals. The overall average $\Delta T_{\mathrm{m}}$ values were computed for comparisons with reciprocal values, together with their respective standard errors, using the formula in Caccone et al. (1987).

A matrix of $\Delta T_{\mathrm{m}}$ values was produced, using the averages of reciprocals whenever reciprocal comparisons were carried out or single values when reciprocals were not performed. This matrix was used for testing evolutionary rates, using a test available in the PHYLIP phylogenetic package (Felsenstein, 1985). This test compares the residual sums of squares between two trees of the same topology, both built by a least-squares
method (Cavalli-Sforza and Edwards, 1967). One tree-constructing algorithm assumes synchrony among lineages; the other does not. The comparisons are performed through a simple $F$ test. If the residual sum of squares obtained from the synchronous tree (constancy assumed) is not significantly higher than the asynchronous tree (no constancy assumed), then the hypothesis of constancy of the rate of divergence cannot be rejected. Since this test cannot be performed on incomplete matrices, it was necessary to subdivide the principal matrix into 14 complete small matrices. The validity of generalizing from the smaller matrices to the principal matrix of $\Delta T_{\mathrm{m}}$ values rests on the fact that all nodes and all branches were tested at least once. If the hypothesis of synchrony could not be rejected in any of these smaller matrices, then it is reasonably safe to draw the same conclusion for the overall matrix (J. Felsenstein, pers. comm.). Since the hypothesis of constancy in rates could not be rejected, the unweighted pairgroup method using arithmetic averages (UPGMA; Sokal and Michener, 1958), was used on the overall matrix to summarize the phylogeny of the taxa.

## Results <br> Melting Curves and Median Melting Temperatures

Examples of the melting profiles for hybrid DNA molecules between tracer and driver DNA from the same preparation (homoduplex) and for four heteroduplex comparisons with the same tracer are shown in Figure 1. The Appendix summarizes the results of all 606 experiments; in each table (A-X) all the experiments carried out with a particular tracer are reported. Replicates were carried out only for the melting curves; in most cases, only a single value is available for the fragment sizing and for the percentage of reassociation. Three to nine replicates for each homoduplex were carried out; their $t_{\mathrm{m}}$ 's vary from $55.25^{\circ} \mathrm{C}$ to $58.24^{\circ} \mathrm{C}$, with an average of $56.26^{\circ}$.

The standard errors associated with $t_{\mathrm{m}}$ values are around 0.15 . The wide range in $t_{\mathrm{m}}$ values is mainly due to the different sizes of the tracers, since when these values are corrected by fragment size ( $T_{\mathrm{m}}$ in our terminology), their average is $58.75^{\circ} \mathrm{C}$ with a
standard error only of 0.12 . Theoretically, perfectly matched duplexes in 2.4 M TEACL should have a $T_{\mathrm{m}}$ around $61^{\circ} \mathrm{C}$ (Britten et al., 1978). DNA-DNA hybridization studies of sea urchins using TEACL (Hall et al., 1980; Grula et al., 1982) present homoduplex $T_{\mathrm{m}}$ values around $60^{\circ} \mathrm{C}$, but they were corrected for intrapreparation variability (heterozygosity) by adding $2^{\circ} \mathrm{C}$ (Britten et al., 1978). Considering that the present DNA preparations were made from populations of crickets, a similar correction is probably justified, which could bring the homoduplex $T_{\mathrm{m}}$ 's as high as theoretically expected.

## Fragment Size, $\mathrm{T}_{m}$ 's, and $\Delta \mathrm{T}_{m}$ 's

Tracer size ranged around 200-300 base pairs. As expected, homoduplex tracers were generally larger than heteroduplex tracers. We have no explanation as to why heteroduplex tracers were occasionally longer than homoduplex tracers; this may have been due to variation in driver DNA lengths, which were not measured. Temperature corrections based on tracer length mostly ranged between $1.5^{\circ}$ and $2.5^{\circ} \mathrm{C}$. Heteroduplex comparisons in which tracers were longer than in the respective homoduplex and results with tracers shorter than 100 bp were included in the data set only if reciprocal comparisons with duplexes of reliable length were available and gave similar $\Delta T_{\mathrm{m}}$ values. Replicates of the sizing experiment were carried out only in a few instances, because of the large number of cpm's needed for each experiment; the temperature correction in replicate experiments was repeatable to within $0.3^{\circ} \mathrm{C}$.

A good example of the importance of the size correction is illustrated in the first entry in Table 4. The reciprocal $\Delta t_{\mathrm{m}}$ 's for HIG and HOR are 3.82 and 7.97 ; when corrected for tracer length the reciprocal $\Delta T_{\mathrm{m}}$ 's are 4.88 and 4.43 , with standard errors of 0.12 and 0.27 , respectively.

Tables 2-6 list $\Delta T_{\mathrm{m}}$ values, together with their standard errors. A good test of the reliability of $\Delta T_{\mathrm{m}}$ for estimating levels of divergence is to check whether reciprocal experiments produce similar results. In Tables $2-6 \Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values are given as weighted averages, computed as in Caccone et al. (1987), for cases in which reciprocal comparisons were carried out. Since $t_{\mathrm{m}}$ values


Fig. 1. Melting curves using MAM (H. subterraneus) as tracer. WHE is a conspecific population. BAT (H. cumberlandicus) and GRE (H. jonesi) are congeneric populations. ARG ( $E$. insolitus) belongs to the other genus. Temperatures are on the x-axis; percentage of single-stranded DNA (\% S1 Digested) is on the y-axis. Curves have been drawn "by eye" and are meant to serve only as visual aids.

Table 2. Intraspecific $\Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values in species of the genus Euhadenoecus. For measurements with reciprocal comparisons, each $\Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ value is listed together with the weighted average (bar over population designations). $N$ refers to the number of experiments and SE to the standard error.

| Tracer-Driver | $N$ | $\begin{aligned} & \left(t_{\mathrm{m}}(\mathrm{C})\right. \\ & (\mathrm{C}) \end{aligned}$ | $\overline{y_{\left({ }^{\circ} \mathrm{C}\right)}}$ | SE |
| :---: | :---: | :---: | :---: | :---: |
| E. adelphus: |  |  |  |  |
| HIG-MON | 7 | 3.66 | 2.35 | 0.30 |
| MON-HIG | 3 | 2.55 | 2.16 | 0.17 |
| HIG-MON | 10 | 2.81 | 2.20 | 0.15 |
| E. puteanus: |  |  |  |  |
| SEN-HOR | 3 | 2.37 | 2.51 | 0.27 |
| HOR-SEN | 3 | 2.14 | 2.65 | 0.28 |
| $\overline{\text { SEN-HOR }}$ | 6 | 2.26 | 2.58 | 0.19 |
| E. fragilis: |  |  |  |  |
| GIL-NEW | 6 | 0.78 | 0.77 | 0.19 |
| NEW-GIL | 4 | 0.85 | 1.06 | 0.24 |
| GIL-NEW | 10 | 0.81 | 0.88 | 0.15 |
| GIL-MCL | 6 | 3.37 | 3.66 | 0.22 |
| MCL-GIL | 3 | 4.54 | 4.89 | 0.25 |
| $\overline{\text { GIL-MCL }}$ | 9 | 3.87 | 4.19 | 0.17 |
| GIL-LIP | 6 | 4.25 | 4.25 | 0.34 |
| LIP-GIL | 3 | 4.25 | 4.72 | 0.16 |
| $\overline{\text { GIL-LIP }}$ | 9 | 4.25 | 4.64 | 0.15 |
| LIP-MCL | 9 | 1.56 | 2.10 | 0.23 |
| MCL-LIP | 3 | 2.73 | 2.91 | 0.20 |
| LIP-MCL | 12 | 2.22 | 2.56 | 0.15 |
| LIP-NEW | 5 | 3.87 | 4.12 | 0.35 |
| NEW-LIP | 3 | 3.64 | 4.21 | 0.24 |
| LIP-NEW | 8 | 3.71 | 4.18 | 0.20 |
| MCL-NEW | 3 | 4.41 | 4.71 | 0.16 |
| NEW-MCL | 5 | 3.84 | 3.62 | 0.29 |
| MCL-NEW | 8 | 4.28 | 4.46 | 0.14 |
| E. insolitus: |  |  |  |  |
| MAS-IND | 4 | 2.89 | 3.74 | 0.43 |
| IND-MAS | 6 | 2.30 | 3.07 | 0.34 |
| MAS-IND | 10 | 2.53 | 3.33 | 0.27 |
| MAS-BEC | 3 | 0.81 | 2.08 | 0.29 |
| BEC-MAS | 6 | 0.87 | 2.94 | 0.32 |
| MAS-BEC | 9 | 0.84 | 2.48 | 0.21 |
| MAS-ARG | 7 | 4.79 | 6.04 | 0.25 |
| ARG-MAS | 9 | 4.54 | 5.18 | 0.31 |
| $\overline{\text { MAS-ARG }}$ | 16 | 4.69 | 5.71 | 0.19 |
| IND-BEC | 4 | 2.44 | 2.44 | 0.46 |
| BEC-IND | 3 | 2.33 | 4.30 | 0.21 |
| InD-BEC | 7 | 2.35 | 3.99 | 0.19 |
| IND-ARG | 3 | 5.04 | 6.11 | 0.46 |
| ARG-IND | 6 | 4.61 | 5.13 | 0.23 |
| $\overline{\text { IND-ARG }}$ | 9 | 4.70 | 5.33 | 0.21 |
| BEC-ARG | 3 | 4.31 | 6.49 | 0.38 |
| ARG-BEC | 6 | 4.65 | 5.48 | 0.32 |
| $\overline{\text { BEC-ARG }}$ | 9 | 4.51 | 5.91 | 0.25 |

Table 3. Intraspecific $\Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values in species of the genus Hadenoecus. Symbols are as in Table 2.

| Tracer-Driver | $N$ | $\Delta t_{\mathrm{m}}$ <br> $\left({ }^{\circ} \mathrm{C}\right)$ | $\Delta T_{\mathrm{M}}$ <br> $\left({ }^{\circ} \mathrm{C}\right)$ | SE |
| :--- | :---: | :---: | :---: | :---: |
| H. cumberlandicus: |  |  |  |  |
| BAT-HIS | 3 | 1.64 | 1.39 | 0.17 |
| HIS-BAT | 4 | 1.22 | 1.36 | 0.24 |
| BAT-HIS | 7 | 1.49 | 1.37 | 0.14 |
| BAT-WIN | 3 | 4.57 | 2.45 | 0.28 |
| WIN-BAT | 3 | 2.22 | 2.15 | 0.24 |
| BAT-WIN | 6 | 3.21 | 2.28 | 0.18 |
| HIS-KOG | 5 | 3.86 | 2.73 | 0.27 |
| KOG-HIS | 4 | 4.62 | 2.62 | 0.29 |
| HIS-KOG | 9 | 4.21 | 2.68 | 0.19 |
| HIS-WIN | 3 | 3.10 | 2.40 | 0.24 |
| WIN-HIS | 3 | 1.54 | 1.92 | 0.20 |
| HIS-WIN | 6 | 2.16 | 2.11 | 0.15 |
| H. opilionoides: |  |  |  |  |
| BBC-BLF | 3 | 3.26 | 2.24 | 0.22 |
| H. jonesi: |  |  |  |  |
| GRE-LIM | 3 | 0.53 | 0.51 | 0.15 |
| LIM-GRE | 3 | - | 0.52 | 0.21 |
| GRE-LIM | 6 | 0.53 | 0.51 | 0.12 |
| H. subterraneus: |  |  |  |  |
| MAM-WHE | 3 | 2.35 | 2.10 | 0.26 |
| WHE-MAM | 3 | 1.42 | 2.07 | 0.25 |
| MAM-WHE | 6 | 1.88 | 2.08 | 0.18 |

are dependent on tracer length, $T_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values are more accurate and will be considered in more detail. $\Delta T_{\mathrm{m}}$ values are $2.20^{\circ} \mathrm{C}$ and $2.58^{\circ} \mathrm{C}$ between populations of $E$. adelphus and E. puteanus, respectively. Among the four populations of $E$. fragilis, $\Delta T_{\mathrm{m}}$ 's varied from as little as $0.88^{\circ} \mathrm{C}$ to $4.64^{\circ} \mathrm{C}$. Comparable variation occurs among $E$. insolitus populations, where values range from $2.48^{\circ} \mathrm{C}$ to $5.91^{\circ} \mathrm{C}$ (Table 2). Considering Hadenoecus, among the four populations of $H$. cumberlandicus $\Delta T_{\mathrm{m}}$ 's range from $1.37^{\circ} \mathrm{C}$ to $2.68^{\circ} \mathrm{C}$. The two populations of $H$. jonesi have the smallest $\Delta T_{\mathrm{m}}\left(0.51^{\circ} \mathrm{C}\right)$, while a much higher $\Delta T_{\mathrm{m}}$ is found between the two H. opilionoides $\left(\Delta T_{\mathrm{m}}=2.24^{\circ} \mathrm{C}\right)$ and $H$. subterraneus ( $\Delta T_{\mathrm{m}}=2.08^{\circ} \mathrm{C}$ ) populations (Table 3).

Interspecific comparisons within the genus Euhadenoecus (Table 4) produced $\Delta T_{\mathrm{m}}$ 's ranging from $4.44^{\circ} \mathrm{C}$ to $4.92^{\circ} \mathrm{C}$ between $E$. adelphus populations (HIG and MON) and E. puteanus populations (HOR and SEN). $\Delta T_{\mathrm{m}}$ 's of any of these four populations with any of the four populations of $E$. fragilis

Table 4. Interspecific $\Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values for the genus Euhadenoecus. Symbols are as in Table 2.

| Tracer-Driver | $N$ | $\begin{aligned} & \hline \Delta_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right) \end{aligned}$ | $\begin{aligned} & \overline{\Delta T_{\mathrm{m}}} \\ & \left({ }^{\circ} \mathrm{C}\right) \end{aligned}$ | SE |
| :---: | :---: | :---: | :---: | :---: |
| HIG-HOR | 6 | 3.82 | 4.88 | 0.12 |
| HOR-HIG | 4 | 7.97 | 4.43 | 0.27 |
| $\overline{\text { HOR-HIG }}$ | 10 | 4.48 | 4.81 | 0.11 |
| HIG-SEN | 6 | 3.47 | 4.92 | 0.10 |
| SEN-MON | 6 | 4.70 | 4.44 | 0.23 |
| HIG-MCL | 4 | 6.01 | 6.84 | 0.20 |
| MCL-HIG | 5 | 9.89 | 6.83 | 0.16 |
| HIG-MCL | 9 | 7.48 | 6.83 | 0.16 |
| HIG-NEW | 3 | 5.82 | 6.66 | 0.19 |
| NEW-HIG | 7 | 8.88 | 6.14 | 0.25 |
| HIG-NEW | 10 | 6.91 | 6.47 | 0.15 |
| SEN-NEW | 4 | 8.18 | 6.92 | 0.18 |
| HIG-ARG | 3 | 8.37 | 8.85 | 0.12 |
| ARG-HIG | 4 | 12.78 | 8.55 | 0.20 |
| HIG-ARG | 7 | 9.46 | 8.77 | 0.10 |
| HIG-IND | 4 | 7.21 | 8.70 | 0.17 |
| IND-HIG | 3 | 11.70 | 8.43 | 0.26 |
| HIG-IND | 7 | 8.62 | 8.61 | 0.14 |
| HIG-MAS | 4 | 7.55 | 8.62 | 0.27 |
| MAS-HIG | 4 | 11.14 | 8.66 | 0.26 |
| HIG-MAS | 8 | 9.41 | 8.64 | 0.19 |
| MON-ARG | 2 | 8.72 | 8.28 | - |
| ARG-MON | 3 | 9.60 | 8.29 | 0.25 |
| $\overline{\text { MON-ARG }}$ | 5 | 9.16 | 8.28 | - |
| SEN-IND | 3 | 14.80 | 8.35 | 0.20 |
| SEN-MAS | 4 | 15.38 | 8.34 | 0.20 |
| MAS-SEN | 5 | 8.37 | 8.12 | 0.26 |
| SEN-MAS | 9 | 12.66 | 8.25 | 0.16 |
| HOR-ARG | 5 | 9.42 | 7.91 | 0.30 |
| ARG-HOR | 4 | 9.46 | 8.56 | 0.24 |
| HOR-ARG | 9 | 9.44 | 8.30 | 0.19 |
| HOR-IND | 4 | 11.27 | 8.87 | 0.24 |
| GIL-SEN | 5 | 6.83 | 6.53 | 0.18 |
| GIL-ARG | 4 | 8.84 | 8.36 | 0.23 |
| MCL-HOR | 4 | 8.10 | 7.50 | 0.31 |
| MCL-SEN | 4 | 7.74 | 7.51 | 0.19 |
| MCL-IND | 4 | 8.23 | 7.83 | 0.17 |
| MCL-MAS | 4 | 8.36 | 8.34 | 0.27 |
| MAS-MCL | 2 | 8.23 | 7.87 | 0.31 |
| $\overline{\text { MCL-MAS }}$ | 7 | 8.30 | 8.14 | 0.20 |
| NEW-HOR | 4 | 6.92 | 6.61 | 0.34 |
| NEW-IND | 4 | 9.83 | 8.19 | 0.23 |
| NEW-MAS | 5 | 7.63 | 7.63 | 0.24 |
| MAS-NEW | 4 | 8.33 | 8.45 | 0.28 |
| NEW-MAS | 9 | 7.92 | 7.98 | 0.18 |
| MAS-HOR | 5 | 8.55 | 8.22 | 0.32 |
| MAS-MON | 4 | 9.25 | 8.65 | 0.25 |
| ARG-MCL | 4 | 8.22 | 8.27 | 0.22 |

Table 5. Interspecific $\Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values for the genus Hadenoecus. Symbols are as in Table 2.

| Tracer-Driver | $N$ | $\overline{\left(t_{\mathrm{m}}\right.}$ |  | SE |
| :---: | :---: | :---: | :---: | :---: |
| CUM-BBC | 3 | 2.95 | 2.72 | 0.24 |
| CUM-BAT | 3 | 4.22 | 4.08 | 0.32 |
| CUM-HIS | 2 | 5.00 | 4.64 | - |
| CUM-MAM | 3 | 5.97 | 5.52 | 0.31 |
| CUM-GRE | 6 | 7.42 | 7.44 | 0.40 |
| BAT-BBC | 3 | 4.39 | 4.27 | 0.21 |
| BBC-BAT | 4 | 4.55 | 4.34 | 0.27 |
| BAT-BBC | 7 | 4.45 | 4.30 | 0.17 |
| BAT-MAM | 3 | 6.62 | 6.38 | 0.40 |
| MAM-BAT | 4 | 5.84 | 5.66 | 0.19 |
| $\overline{\text { BAT-MAM }}$ | 7 | 5.98 | 5.79 | 0.17 |
| HIS-BBC | 4 | 4.13 | 3.93 | 0.19 |
| BBC-HIS | 3 | 4.77 | 3.69 | 0.29 |
| HIS-BBC | 7 | 4.32 | 3.86 | 0.16 |
| HIS-WHE | 3 | 5.30 | 5.01 | 0.29 |
| WHE-HIS | 3 | 5.59 | 5.29 | 0.22 |
| HIS-WHE | 6 | 5.48 | 5.19 | 0.17 |
| HIS-GRE | 3 | 7.55 | 7.75 | 0.17 |
| GRE-HIS | 3 | 7.27 | 7.17 | 0.11 |
| HIS-GRE | 6 | 7.35 | 7.33 | 0.09 |
| HIS-LIM | 3 | 8.51 | 8.29 | 0.14 |
| LIM-HIS | 3 | 8.19 | 6.80 | 0.32 |
| HIS-LIM | 6 | 8.46 | 8.06 | 0.13 |
| KOG-MAM | 4 | 6.12 | 5.98 | 0.30 |
| BBC-MAM | 3 | 6.54 | 5.28 | 0.32 |
| MAM-BBC | 4 | 5.88 | 5.58 | 0.17 |
| BBC-MAM | 7 | 6.03 | 5.51 | 0.15 |
| BBC-WHE | 4 | 5.98 | 5.18 | 0.26 |
| WHE-BBC | 4 | 5.40 | 5.92 | 0.25 |
| $\overline{\text { BBC-WHE }}$ | 8 | 5.68 | 6.57 | 0.18 |
| BBC-GRE | 3 | 8.51 | 7.50 | 0.36 |
| GRE-BBC | 5 | 7.53 | 7.00 | 0.20 |
| BBC-GRE | 8 | 7.76 | 7.12 | 0.17 |
| BBC-LIM | 3 | 8.48 | 8.08 | 0.29 |
| LIM-BBC | 3 | 5.10 | 7.16 | 0.21 |
| $\overline{\text { BBC-LIM }}$ | 6 | 6.24 | 7.47 | 0.17 |
| BLF-MAM | 2 | 5.92 | 4.73 | - |
| GRE-MAM | 4 | 7.89 | 7.05 | 0.14 |
| MAM-GRE | 4 | 7.52 | 7.78 | 0.26 |
| GRE-MAM | 8 | 7.81 | 7.21 | 0.12 |
| LIM-MAM | 3 | 7.81 | 8.38 | 0.39 |

(GIL, LIP, MCL, and NEW) range from $6.47^{\circ} \mathrm{C}$ to $7.51^{\circ} \mathrm{C}$. Comparisons among all eight of the preceding populations and the four populations of $E$. insolitus (BEC, IND, MAS, and ARG), yield $\Delta T_{\mathrm{m}}$ 's ranging from $7.83^{\circ} \mathrm{C}$ to $8.87^{\circ} \mathrm{C}$ (Table 4). Within Ha denoecus, the lowest interspecific $\Delta T_{\mathrm{m}}$ $\left(2.72^{\circ} \mathrm{C}\right)$ is found between one of the $H$. opi-

Table 6. Intergeneric $\Delta t_{\mathrm{m}}$ and $\Delta T_{\mathrm{m}}$ values between Hadenoecus, Euhadenoecus, and Dolichopoda. Symbols are as in Table 2.

| Tracer-Driver |  | $N$ | $\Delta t_{\mathrm{m}}$ | $\Delta T_{\mathrm{m}}$ |
| :--- | ---: | ---: | ---: | :---: |
| HIS-HIG | 3 | 11.18 | 9.87 | SE |
| HIS-MON | 3 | 11.80 | 11.19 | 0.15 |
| HIS-GIL | 3 | 9.73 | 9.88 | 0.19 |
| GIL-HIS | 3 | 10.18 | 10.02 | 0.12 |
| HIS-GIL | 6 | 10.04 | 9.98 | 0.10 |
| HIS-MCL | 3 | 11.05 | 10.64 | 0.20 |
| HIS-ARG | 3 | 12.16 | 11.41 | 0.29 |
| WIN-MON | 2 | 11.05 | 10.29 | - |
| BBC-ARG | 3 | 11.48 | 9.78 | 0.28 |
| ARG-BBC | 2 | 10.97 | 10.45 | - |
| BBC-ARG | 5 | 11.22 | 10.11 | - |
| GRE-MON | 6 | 10.20 | 9.53 | 0.32 |
| GRE-GIL | 4 | 10.50 | 10.07 | 0.40 |
| GIL-GRE | 3 | 10.05 | 9.91 | 0.21 |
| GRE-GIL | 7 | 10.15 | 9.94 | 0.18 |
| GRE-ARG | 4 | 12.98 | 10.58 | 0.26 |
| MAM-ARG | 3 | 13.77 | 10.76 | 0.20 |
| HIG-BAT | 3 | 9.47 | 10.96 | 0.10 |
| MCL-BAT | 4 | 9.72 | 9.70 | 0.18 |
| ARG-BAT | 8 | 8.63 | 9.29 | 0.38 |
| DOL-BAT | 3 | 19.98 | 18.76 | 0.55 |
| BAT-DOL | 1 | 19.05 | 17.38 | - |
| DOL-BAT | 4 | 19.51 | 18.07 | - |
| DOL-MON | 3 | 17.74 | 17.58 | 0.32 |
| DOL-WIN | 2 | 18.71 | 17.28 | - |

lionoides populations ( BBC ) and the $H$. barri population (CUM). When populations of either species (BBC, BLF, and CUM) are hybridized with any of the four H. cumberlandicus populations (BAT, HIS, KOG, and WIN), $\Delta T_{\mathrm{m}}$ values range from $3.86^{\circ} \mathrm{C}$ to $4.64^{\circ} \mathrm{C} . \Delta T_{\mathrm{m}}$ 's between any of the preceding populations and either of the two populations of $H$. subterraneus (MAM and WHE) range from $4.73^{\circ} \mathrm{C}$ to $5.98^{\circ} \mathrm{C}$. When the two $H$. jonesi populations (GRE and LIM) are hybridized with any congeneric population, the $T_{\mathrm{m}}$ 's range from $7.12^{\circ} \mathrm{C}$ to $8.38^{\circ} \mathrm{C}$ (Table 5).
$\Delta T_{\mathrm{m}}$ 's between populations belonging to different genera of the Hadenoecini (only $H$. barri is missing) range from $9.29^{\circ} \mathrm{C}$ to $11.41^{\circ} \mathrm{C} . \Delta T_{\mathrm{m}}$ 's between populations belonging to either Hadenoecini genus and the outgroup, D. laetitiae, range from $17.28^{\circ} \mathrm{C}$ to $18.07^{\circ} \mathrm{C}$ (Table 6).

Standard errors of all these estimates are low. They vary from 0.09 to 0.34 . Table 7

Table 7. Averages of standard errors (SE) for different ranges of $\Delta T_{\mathrm{m}}$ values. $N$ refers to the number of $\Delta T_{\mathrm{m}}$ values in that range.

| Range of $\Delta T_{\mathrm{m}}$ | $N$ | Mean $S \mathrm{E}$ |
| :---: | ---: | :---: |
| $0-0.9$ | 2 | 0.13 |
| $1.0-1.9$ | 1 | 0.14 |
| $2.0-2.9$ | 10 | 0.19 |
| $3.0-3.9$ | 3 | 0.21 |
| $4.0-4.9$ | 9 | 0.18 |
| $5.0-5.9$ | 9 | 0.21 |
| $6.0-6.9$ | 5 | 0.20 |
| $7.0-7.9$ | 9 | 0.20 |
| $8.0-8.9$ | 16 | 0.22 |
| $9.0-9.9$ | 6 | 0.23 |
| $10.0-10.9$ | 3 | 0.19 |
| $11.0-11.9$ | 2 | 0.22 |
| $17.0-19.0$ | 2 | 0.43 |

lists the average of the standard errors in different ranges of $\Delta T_{\mathrm{m}}$ values. Standard errors vary from 0.13 to 0.23 over a wide range of $\Delta T_{\mathrm{m}}$ 's (0.1-11.9). The only exception ( $\Delta T_{\mathrm{m}}$ range: 17.0-19.0; average $\mathrm{SE}=$ 0.43 ) involves comparisons of Hadenoecini with the European outgroup, D. laetitiae. This result is not unexpected, since such high values of $\Delta T_{\mathrm{m}}$ are close to the reliability limits of this measure. These low standard errors make it possible to discriminate among populations within all the species studied and to assess the interspecific and intergeneric relationships with no ambiguities. However, it should be pointed out that these standard errors are minimum estimates, since they refer only to the error associated with the temperature gradients. They do not take into consideration other sources of error, such as the first S1-nuclease digestion or the fragment sizing.

## Tree Clustering and Evolutionary Clock Test

Felsenstein's (1984) test was run on 14 complete matrices extracted from the main data set of $\Delta T_{\mathrm{m}}$ 's to study evolutionary rates in these cave crickets. These represent all the complete matrices in the data set, i.e., no selection of matrices was performed. All branches and nodes were included. The matrices tested were: 1) the full $4 \times 4 \Delta T_{\mathrm{m}}$ matrix of the $E$. insolitus populations, to test rates within this species; 2) the full $4 \times$ 4 matrix of the $E$. fragilis populations, to test rates within this species; 3) a $4 \times 4$
matrix with HIG, MON, SEN, and MAS, to test rates among E. adelphus, E. puteanus, and $E$. insolitus; 4 ) a $4 \times 4$ matrix with HOR, SEN, HIG, and MAS, to test the same node with different populations; 5) a $4 \times 4$ matrix with HIG, HOR, NEW, and IND, to check rates among $E$. adelphus, $E$. puteanus, $E$. fragilis, and $E$. insolitus; 6) a $3 \times$ 3 matrix with HIG, MCL, and ARG, to test the same node as matrix 5 but with different populations; 7) a $4 \times 4$ matrix with CUM, BAT, HIS, and BBC, to test rates among $H$. barri, H. cumberlandicus, and H. opilionoides; 8) a $4 \times 4$ matrix with GRE, LIM, MAM, and BBC, to test rates among $H$. jonesi, $H$. subterraneus, and H. opilionoides; 9) a $3 \times 3$ matrix with BBC, BLF, and MAM, to test the rate between $H$. opilionoides and H. subterraneus; 10) a $4 \times 4$ matrix with CUM, BBC, BAT, and MAM, to test rates among $H$. barri, $H$. opilionoides, $H$. cumberlandicus, and $H$. subterraneus; 11) a $5 \times 5$ matrix with BAT, HIS, MCL, ARG, and HIG, to test rates between the two genera, using $H$. cumberlandicus, E. fragilis, E. insolitus, and E. adelphus; 12) a $3 \times 3$ matrix with ARG, HIS, and GRE, to check the same node as matrix 11 , but with $E$. insolitus, $H$. cumberlandicus, and $H$. jonesi; and 13 and 14) two $3 \times 3$ matrices with DOL, BAT, and WIN, and DOL, MON, and WIN, respectively, to check rates between both North American genera and the outgroup.

For each of these matrices, several tree topologies were obtained by successive runs of two programs in the PHYLIP package: "Kitsch," which assumes equality in sister branch lengths (i.e., molecular clock), and "Fitch," which does not. The distance algorithm used was that of Cavalli-Sforza and Edwards (1967), since standard errors do not increase with greater $\Delta T_{\mathrm{m}}$ values (Table 7) (Felsenstein, 1984). The residual sums of squares between trees having the same topology were compared with an $F$ test. In all cases the null hypothesis holds; the increase in the residual sum of squares (resulting from the reduced number of parameters that the synchronous-tree algorithm utilized) is not significant. Thus, the molecular clock hypothesis (synchrony of rates of change in all branches) cannot be rejected. While one may argue that using reduced matrices is not a powerful test of overall constancy, the fact
that none of the 14 matrices tested was significant (by the one out of 20 criterion) adds confidence in accepting the assumption. Furthermore, the methodology for testing incomplete matrices that has recently been developed (Sheldon, 1987) was applied to these data with the same result, i.e., synchrony could not be rejected (Powell and Caccone, unpubl.). On the basis of these results UPGMA dendrogram has been constructed assuming average values for the missing entries (Fig. 2).

## Percentage Reassociation

Percentage reassociation, like the $\Delta T_{\mathrm{m}}$, should reflect degree of genetic divergence (Sibley and Ahlquist, 1981; Britten, 1986a). The percentage reassociation of homoduplexes ranges from $70.4 \%$ to $98.6 \%$. The normalized percentage reassociation (NPR) for intraspecific heteroduplexes ranged from $63.5 \%$ to $100 \%$; for interspecific heteroduplexes the range was $27-96.6 \%$; for intergeneric heteroduplexes the range was $40.0-$ 64.5\%. The NPR between the North American and European species is $41.8 \%$.

Unfortunately, repeatability of this statistic is not as good as for $T_{\mathrm{m}}$. We performed replicate reassociation reactions for 12 homoduplex and 12 heteroduplex comparisons. For five of these comparisons, three to five replicates were performed; standard errors of percentage reassociation ranged from $0.5 \%$ to $8.6 \%$. For 19 of the comparisons, only two determinations were made; the differences ranged from $0.04 \%$ to $20.5 \%$ with a mean of $7.8 \%$. Thus the error associated with this statistic for any single measurement is on the order of $10 \%$.

Despite these problems, the pattern of NPR is far from random: the more distantly related the two taxa are, the lower the NPR. Figure 3 is a graph of NPR against $\Delta T_{\mathrm{m}}$. Clearly, as the $\Delta T_{\mathrm{m}}$ increases, NPR decreases. The slope of the linear-regression line is -4.48 for cave crickets, not including the intertribal point. This near linearity of relationship has been observed in other groups (e.g., Schulze and Lee, 1986).

Another aspect of genome evolution that may be reflected in NPR is change in genome size. When reciprocal reactions give asymmetrical NPR's, one can infer a difference in the size of the single-copy fraction


Fig. 2. UPGMA tree based on the $\Delta T_{\mathrm{m}}$ values among the 24 populations of cave crickets. For each node, the average $\Delta T_{\mathrm{m}}$ are reported together with the number of comparisons ( $n$ ) carried out for that node.
(R. Britten, pers. comm.). For example the BAT-BBC NPR is $88.5 \%$ and that for BBCBAT is $60.2 \%$, giving a ratio of 0.68 , which suggests the single-copy DNA content of BAT is $32 \%$ less than BBC. One can do this for all of the reciprocal cases and rank the DNA content. The resulting data are reasonably consistent. However, because we are not certain of the reliability of these estimates, we have not presented the graphs here. Nevertheless, there is clear indication in these data of quite large variation in sin-gle-copy genome size among these very closely related insects.

## Single-Copy Divergence Versus Isozyme Divergence

Figure 4 compares $\Delta T_{\mathrm{m}}$ 's (x-axis) with estimates of divergence (Nei's $D$; y-axis) based on the isozyme study (Caccone and Sbordoni, 1987) for the same pairwise comparisons. For intra- and interspecific comparisons, Nei's $D$ values of as little as 0.05 can correspond to a $\Delta T_{\mathrm{m}}$ as high as 2 . More generally, however, it seems that a $D$ of 0.1
corresponds to a $\Delta T_{\mathrm{m}}$ of about $1.5^{\circ}$. For the intergeneric comparisons, this correspondence does not hold; Nei's $D$ 's from 1 to 1.7 correspond to a smaller range of $\Delta T_{\mathrm{m}}$ 's $\left(10-12^{\circ} \mathrm{C}\right)$. This result is not unexpected, since it is known that values of Nei's $D$ above 1 suffer a saturation effect and therefore are unreliable, even as indicators of isozyme divergence. Alternatively, and not mutually exclusively, $\Delta T_{\mathrm{m}}$ may be slowing as a metric due to low NPR and approach to the limit of reliability of measurement.

Nei's genetic distance can be roughly translated to percentage of base-pair differencers. If an average gene length of 1,000 bp is assumed and that one in five bp changes results in a change in the net electric charge of a protein (Powell, 1975), then $1 D$ translates to $0.05 \%$ bp differences. Since in this study a $D$ value of 0.1 corresponds to at least $1.5 \%$ single-copy divergence (the issue of the conversion of $\Delta T_{\mathrm{m}}$ to percentage of base-pair mismatch will be discussed later), genetic divergence estimates based on isozymes are roughly 30 times smaller than


Fig. 3. Relationship between $\Delta T_{\mathrm{m}}$ values (x-axis) and normalized percentage reassociation (NPR; y-axis) for cave crickets, Drosophila (Schulze and Lee, 1986), and herons (Sheldon, 1986). $\Delta T_{\mathrm{m}}$ 's were grouped into $3^{\circ} \mathrm{C}$ intervals: 1-3, 3-6, etc. The mean $T_{\mathrm{m}}$ and mean NPR for that interval are plotted. Numbers near points refer to the number of values averaged for that interval.
estimates of divergence based on single-copy DNA sequence. Britten (1986b) has reached similar conclusions for sea urchins and Drosophila. Admittedly, these estimates are based on many assumptions. Nevertheless, the conclusion that coding sequences are conservative relative to total DNA is consistent with DNA sequence data (e.g., Coyne and Kreitman, 1986; Ashburner et al., 1984).

## DISCUSSION

## $\Delta \mathrm{T}_{m}$, Percentage Mismatch, and NPR

The first issue to be addressed is the conversion of $\Delta T_{\mathrm{m}}$ to percentage of base-pair mismatch. Generally this conversion is taken to be $1: 1$, i.e., a $\Delta T_{\mathrm{m}}$ of $1^{\circ} \mathrm{C}$ corresponds to $1 \%$ base-pair mismatch (Britten et al., 1974; Britten, 1986a). Recent data from this laboratory indicate that a $\Delta T_{\mathrm{m}}$ of $1^{\circ} \mathrm{C}$ represents $1.5-2 \%$ mismatch (Powell et al., 1986; unpubl.). However, for the discussion


Fig. 4. Relationship between $\Delta T_{\mathrm{m}}$ values (x-axis) and allozyme genetic distances (Nei, 1972) for 23 North American cave cricket populations.
here, we will adopt the more conservative $1: 1$ conversion, bearing in mind that the accuracy of this conversion is not settled.

Unlike some workers, we have chosen to present $\Delta T_{\mathrm{m}}$ and the NPR values separately. It is important to note that the $T_{\mathrm{m}}$, as we use it, is different from what other workers have called " $T$ median" (Britten, 1986a) or $T_{50} \mathrm{H}$ (Sibley and Ahlquist, 1983). Our $T_{\mathrm{m}}$ 's are calculated as the median melting temperature of duplexes that are formed. The percentage of reassociation does not enter into the calculations; i.e., sequences that are so divergent that they do not form stable duplexes under the reassociation conditions ( $75 \%$ match required) are not considered. The $T$ median and $T_{50} \mathrm{H}$ as used by Britten and by Sibley and Ahlquist combine the NPR and $\Delta T_{\mathrm{m}}$ to obtain an estimate of the median melting temperature of all sequences, including those that did not reassociate. Clearly, then, our $\Delta T_{\mathrm{m}}$ is a conservative measure of divergence compared to
measures based on the $T$ median or $T_{50} \mathrm{H}$; $\Delta T_{\mathrm{m}}$ is dependent on a relatively slowly evolving portion of the genome.

The conservativeness of $\Delta T_{\mathrm{m}}$ is evident from Figure 3. The slope of the line for the cricket data indicates that for each degree increase in $\Delta T_{\mathrm{m}}$, the NPR drops by $4-5 \%$. It is interesting to note that the linearity of the relationship drops off for distant comparisons, i.e., the comparisons of North American with European species. This implies that there may be a fraction of the genome that is conserved; it may be the portion of the genome that makes a cricket a cricket. From Figure 3 this portion would appear to be around $40 \%$. However, this interpretation of the data should be taken with caution, as the $40 \%$ that is still hybridizing in this case has a $\Delta T_{\mathrm{m}}$ of $18^{\circ} \mathrm{C}$, which means it is approaching the point where it would no longer hybridize under the stringency used.

There are two, not mutually exclusive, explanations for the decrease in NPR. One is that there is a fraction of the genome that is highly variable and evolving rapidly. Alternatively, the lower NPR may be due to insertion/deletion differences between tracer and driver. The asymmetry in NPR for reciprocal hybridizations discussed in the Results indicates that there are fairly large ge-nome-size differences among these taxa, even among populations of the same species!

It is also of interest to note that the drop in NPR for a given $\Delta T_{\mathrm{m}}$ is greater for insects than for birds (Fig. 3). Drosophila have the fastest rate of decrease: an increase of $1^{\circ} \mathrm{C}$ $\Delta T_{\mathrm{m}}$ is accompanied by a $7 \%$ decrease in NPR. For birds, a $\Delta T_{\mathrm{m}}$ of $1^{\circ} \mathrm{C}$ is associated with only $1-2 \%$ decrease in NPR. Thus, not only is the rate of evolution of DNA different in different taxa (Britten, 1986a), but even the dynamics or mechanisms of change are different. These differences may be due to the relative rates of point mutations (reflected primarily in $\Delta T_{\mathrm{m}}$ ) and rates of insertion/deletions, changes in genome sizes, and/or proportion of the genome that is free to be highly variable (reflected primarily in decreased NPR).

## Phylogenies and Rates

With a few exceptions, the pattern of branching derived from DNA-DNA hy-
bridization data (Fig. 2) agrees with that obtained by isozyme analysis (Caccone and Sbordoni, 1987 fig. 3) and, to a lesser degree, with that obtained from morphological considerations (Hubbell and Norton, 1978). For the genus Euhadenoecus, all three approaches arrive at the same conclusion: the two forest-dwelling species ( $E$. adelphus and E. puteanus) are most closely related, with $E$. fragilis clustering next and with $E$. insolitus the furthest diverged. In the case of Hadenoecus, the results of these approaches are not so congruent. Based on morphological and biogeographical considerations, Hubbell and Norton (1978) placed H. cumberlandicus and H. subterraneus in a clade separate from the other three species. Both the isozyme dendogram (Caccone and Sbordoni, 1987) and the $\Delta T_{\mathrm{m}}$ dendogram (Fig. 2) separate $H$. subterraneus and place $H$. cumberlandicus with the other species. However, isozymes and $\Delta T_{\mathrm{m}}$ disagree with respect to the placement of $H$. jonesi. The isozyme analysis placed $H$. jonesi in the barri-opilionoides-cumberlandicus clade, whereas $\Delta T_{\mathrm{m}}$ values indicate that it is the most distant of all the species of the genus and that it separated first.

Which of the phylogenies is correct? While the technique of DNA-DNA hybridization has come under attack (Farris, 1985; Cracraft, 1985; Templeton, 1985) good counter arguments can be made for its power (Gould, 1985; Sibley and Ahlquist, 1983). Furthermore, the data presented here refute many of the criticisms of the technique: the repeatability of the technique is very good (note the small standard errors) and reciprocity (in the case of $\Delta T_{\mathrm{m}}$ ) is very good. T. H. Hubbell, the foremost systematist of these crickets, has agreed that the phylogeny indicated by the DNA-DNA hybridization data is compatible with morphological considerations (pers. comm.).

We have used the least-squares method (Felsenstein, 1984) to test whether the $\Delta T_{\mathrm{m}}$ values used to construct the dendogram in Figure 2 change synchronously or asynchronously in the different branches, i.e., is there a clock? Because the data set is not a complete matrix, 14 subsets of the data which represent complete matrices were tested (see Results). All nodes and all branches were tested at least once. In no
case out of 14 tests did the asynchronous model give a significantly better fit than the synchronous model; thus, we cannot reject the clock hypothesis.

Given that the $\Delta T_{\mathrm{m}}$ values behave as a clock, can we calibrate it with some absolute measure of time? Based on morphological, geological, and biogeographical considerations, Hubbell and Norton (1978) suggested that the two genera (Euhadenoecus and Hadenoecus) separated sometime in the Pliocene ( $2-7$ MY ago) and that the speciation events within the genera occurred in the early Pleistocene ( $<2 \mathrm{MY}$ ago). If this is true, these crickets are among the fastest evolving (with respect to DNA) organisms yet studied. The least related species within the genera have $\Delta T_{\mathrm{m}}$ 's of $7^{\circ} \mathrm{C}-8^{\circ} \mathrm{C}$. Could this degree of divergence occur within 2 MY ? It is difficult to assess the real significance of this, given that within-species divergence may be up to $5^{\circ} \mathrm{C} \Delta T_{\mathrm{m}}$. Nevertheless, all indications are that cave crickets are rapidly evolving relative to birds and primates, for which a $\Delta T_{\mathrm{m}}$ of $1^{\circ} \mathrm{C}$ has been estimated to correspond to 4-5 MY since the last common ancestor (Sibley and Ahlquist, 1984). Rates in invertebrates (Drosophila and sea urchins) have been estimated to be about five times this rate, i.e., a $\Delta T_{\mathrm{m}}$ of $1^{\circ} \mathrm{C}$ indicates $0.5-1.5 \mathrm{MY}$ of divergence (Britten, 1986a; Powell et al., 1986). Given the uncertainty of dating speciation events, the safest conclusion is that cave crickets are evolving relatively rapidly, at a rate that is probably similar to the rates in other invertebrates.

## Taxonomic Considerations

Sibley and Ahlquist (1983) have amassed a very large data set of $\Delta T_{50} \mathrm{H}$ 's among thousands of species of birds. They have proposed that data from DNA-DNA hybridization experiments are quite consistent with taxonomic levels (Sibley and Ahlquist, 1983): $\Delta T_{50} \mathrm{H}$ 's between genera range from $0^{\circ} \mathrm{C}$ to $5^{\circ} \mathrm{C}$; those between tribes range from $5^{\circ} \mathrm{C}$ to $7^{\circ} \mathrm{C}$; those between families range from $9^{\circ} \mathrm{C}$ to $11^{\circ} \mathrm{C}$; and those between superfamilies range from $13^{\circ} \mathrm{C}$ to $15^{\circ} \mathrm{C}$. Obviously, such correspondence does not occur in cave crickets. Species of the same genus of cave crickets may differ by as large a $\Delta T_{\mathrm{m}}$ as the $\Delta T_{50} \mathrm{H}$ between families of
birds. Recall that $\Delta T_{\mathrm{m}}$ is a relatively conservative estimate of divergence compared to $\Delta T_{50} \mathrm{H}$. Drosophila are similar to crickets in this regard: $\Delta T_{\mathrm{m}}$ 's among species of this genus may be $10^{\circ} \mathrm{C}$ or more with very low NPR (Schulze and Lee, 1986; Zwiebel et al., 1982; Fig. 3).
Given this rapid rate of DNA divergence in invertebrates (i.e., cave crickets, Drosophila, and sea urchins), how useful can DNA-DNA hybridization be in reconstructing higher-category phylogenies? This will depend on the particular group being considered. For example, it is unlikely to be useful above the genus level with Drosophila, whereas with the present data, comparison of tribes was possible. However, it seems unlikely that it will be possible to extend the technique to levels that are possible with vertebrates. Measurement of $\Delta T_{\mathrm{m}}$ above $15^{\circ}-20^{\circ} \mathrm{C}$ becomes unreliable. Furthermore, considering the relatively rapid rate of decline of NPR with $\Delta T_{\mathrm{m}}$ (Fig. 3), one begins to lose one of the advantages of the technique: average divergence at less and less of the total genome is being measured.

## Isozymes Versus $\Delta \mathrm{T}_{\mathrm{m}}$

As expected, there is a fairly good correlation between genetic distance as measured by isozyme electrophoresis and DNADNA hybridization (Fig. 4). However, the correlation is not perfect. This may lead to discrepancies in phylogenies based on the two sets of data (compare fig. 3 of Caccone and Sbordoni [1987] with Fig. 2). When such discrepancies arise, which is more reliable? For two reasons, we argue that the DNADNA hybridization data probably reflect the true phylogeny more reliably. First, differentiation over more of the genome is being measured. Second, the type of differentiation being measured by isozyme analysis (amino acid replacements) may be more subject to selection than are most base changes.

While in theory Nei's $D$ and $\Delta T_{\mathrm{m}}$ are measuring the same thing (genetic differentiation), they are based on different types of data. $D$ is based on allele-frequency differences as determined by studies of individuals. $\Delta T_{\mathrm{m}}$, in the present case, is based on sequence divergence between DNA prepared from different populations. Thus, the
less-than-perfect correspondence of the two measures is not surprising. Another possible source of discrepancy between the two techniques might involve the average heterozygosity at isozyme loci and the $T_{\mathrm{m}}$ of DNA prepared from a population. The most extreme differences in isozyme heterozygosity in the present study are between either of the parthenogenetic populations (BEC and BAT) with low heterozygosity and all the rest (Caccone, 1986). Yet the $T_{\mathrm{m}}$ 's for DNA from the parthenogenetic populations are not higher than those for the sexual populations (Appendix).

## Conclusions

Several conclusions may be drawn from this study. 1) Cave cricket DNA is evolving at a very rapid rate, at least as rapid as in other invertebrates (i.e., Drosophila and sea urchins) and perhaps even faster. The $\Delta T_{\mathrm{m}}$ as we use it is relatively conservative. There also appears to be rapid change in genome size, as reflected in the asymmetry of NPR's for reciprocal comparisons. 2) The phylogeny derived from DNA-DNA hybridization data generally agrees with that derived from morphology and isozymes. Where discrepancies arise, we argue the DNA data are probably more reliable. 3) To the best of our ability to test statistically for asynchrony, we could not reject the molecularclock hypothesis. 4) Compared to vertebrates, high $\Delta T_{\mathrm{m}}$ 's occur at much lower taxonomic levels in cave crickets. Considerable variation exists even within species; in birds, this variation would be typical of different genera. 5) $\Delta T_{\mathrm{m}}$ and Nei's $D$ for isozymes are correlated, though not perfectly. For crickets the relationship is that a $D$ of 0.1 corresponds to a $\Delta T_{\mathrm{m}}$ of about $1.5^{\circ} \mathrm{C}$. This indicates that protein-coding regions of the genome are evolving at a much slower rate than the average rate for total single-copy DNA.

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Appendix
In each table (A-X), all the experiments performed with a particular tracer are reported. The median melting temperature of the DNA duplexes is symbolized by $t_{\mathrm{m}}$. TL is the mean tracer length in base pairs as determined by alkaline electrophoresis. $T_{\mathrm{m}}$ is the $t_{\mathrm{m}}$ corrected for tracer length; the correction is $500 / \mathrm{TL}$ (Hall et al., 1980). The absolute percentage of reassociation ( $\mathrm{R} \%$ ) and the normalized percentage of reassociation relative to the homoduplex (NPR) are shown. $N$ refers to the number of experiments, and SE is the standard error. For cases in which only two measurements were made, the ranges are reported in parentheses.
A) Tracer - HIG:
Driver DNA

|  | HIG <br> $(N=3)$ | MON <br> $(N=7)$ | HOR <br> $(N=6)$ | SEN <br> $(N=6)$ | MCL <br> $(N=4)$ | NEW <br> $(N=3)$ | ARG <br> $(N=3)$ | IND <br> $(N=4)$ | MAS <br> $(N=4)$ | BAT <br> $(N=3)$ |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 55.25 | 51.59 | 51.43 | 51.78 | 49.24 | 49.43 | 46.88 | 48.04 | 47.70 | 45.78 |
| SE | 0.09 | 0.11 | 0.08 | 0.06 | 0.18 | 0.16 | 0.13 | 0.15 | 0.26 | 0.04 |
| $\mathrm{TL}(\mathrm{bp})$ | 140 | 102 | 198 | 235 | 182 | 182 | 161 | 239 | 199 | 228 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.83 | 56.48 | 53.95 | 53.91 | 51.99 | 52.17 | 49.98 | 50.13 | 50.21 | 47.87 |
| $\mathrm{R} \%$ | 77.5 | 68.8 | 58.1 | 62.7 | 50.2 | 49.3 | 45.5 | 45.4 | 45.9 | 41.9 |
| NPR | 100.0 | 91.1 | 77.0 | 83.1 | 66.6 | 65.3 | 60.3 | 60.2 | 60.9 | 55.5 |

B) Tracer $=$ MON:

|  | Driver DNA |  |  |
| :--- | :---: | :---: | :---: |
|  | $\begin{array}{c}\text { MON } \\ (N=6)\end{array}$ | $\begin{array}{c}\text { HIG } \\ (N=3)\end{array}$ | $\begin{array}{c}\text { ARG } \\ (N=3)\end{array}$ |
| $l_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 57.96 | 55.41 | 49.24 |
| SE $^{\text {TL }}$ (bp) | 0.16 | 0.06 | $(0.22)$ |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 59.16 | 313 | 304 |
| R\% | 74.3 |  |  |
| NPR | 100.0 | 64.1 | 50.8 |
|  | 86.3 | 54.8 |  |
|  |  |  |  |


Appendix. Continued.

| D) Tracer = SEN: |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Driver DNA |  |  |  |  |  |  |  |
|  | $\operatorname{SEN}_{(N=5)}$ | $\begin{aligned} & \hline \text { HOR } \\ & (N=3) \end{aligned}$ | $\underset{(N=6)}{M O N}$ | $\begin{gathered} \mathrm{NEW} \\ (N=4) \end{gathered}$ | $\begin{gathered} \left.\mathrm{IND}_{(N=3)}\right) \end{gathered}$ | $\underset{(N=4)}{(\mathrm{MAS}}$ |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 56.69 | 54.32 | 51.99 | 48.51 | 41.89 | 41.31 |  |  |
| SE | 0.18 | 0.20 | 0.15 | 0.01 | 0.08 | 0.09 |  |  |
| TL (bp) | 352 | 389 | 297 | 186 | 63.5 | 59.0 |  |  |
| $T_{\text {m }}\left({ }^{( } \mathrm{C}\right.$ ) | 58.11 | 55.60 | 53.67 | 51.19 | 49.76 | 49.77 |  |  |
| R\% | 70.0 | 61.7 | 54.9 | 36.6 | 43.1 | 45.5 |  |  |
| NPR | 100.0 | 88.2 | 78.4 | 52.3 | 61.6 | 65.0 |  |  |
| E) Tracer = GiL: ${ }^{\text {Driver DNA }}$ |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
|  |  | $\begin{aligned} & \text { NEW } \\ & (N=6) \end{aligned}$ | $\begin{gathered} \mathrm{MCL} \\ (N=6) \end{gathered}$ | $\operatorname{Lip}_{(N=6)}$ | $\begin{gathered} \operatorname{SEN}_{(N=S)} \end{gathered}$ | $\begin{aligned} & \mathrm{ARG} \\ & (N=4) \end{aligned}$ | $\underset{(N=3)}{\mathrm{HIS}_{2}}$ | $\begin{aligned} & \text { GRE } \\ & (N=3) \end{aligned}$ |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 56.91 | 56.13 | 53.34 | 52.66 | 50.08 | 48.07 | 46.73 | 46.86 |
| SE | 0.11 | 0.16 | 0.19 | 0.33 | 0.14 | 0.21 | 0.06 | 0.18 |
| TL (bp) | 416 | 414 | 547 | 425 | 334 | 259 | 367 | 398 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.11 | 57.34 | 54.45 | 53.86 | 51.58 | 49.75 | 48.09 | 48.20 |
| R\% | 85.8 | 76.4 | 71.1 | 73.3 | 67.6 | 52.2 | 46.9 | 47.8 |
| NPR | 100.0 | 89.0 | 82.8 | 85.4 | 78.8 | 60.8 | 54.7 | 55.7 |
| F) $\mathrm{Tracer}=\mathrm{LIP}$ : |  |  |  |  |  |  |  |  |
|  | Driver DNA |  |  |  |  |  |  |  |
|  | $\stackrel{\text { LIP }}{\text { LIP }}^{(N=3)}$ | $\stackrel{\text { MCL }}{(N=9)}$ | $\begin{gathered} \mathrm{CiL}_{(N=3)} \end{gathered}$ | $\begin{gathered} \stackrel{N E W}{N E W} \\ (N=5) \end{gathered}$ |  |  |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 56.24 | 54.68 | 51.99 | 52.37 |  |  |  |  |
| SE | 0.14 | 0.19 | 0.08 | 0.32 |  |  |  |  |
| TL (bp) | 313 | 472 | 442 | 371 |  |  |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 57.84 | 55.74 | 53.12 | 53.72 |  |  |  |  |
| R\% | 75.6 | 69.4 | 57.2 | 57.5 |  |  |  |  |
| NPR | 100.0 | 91.8 | 75.6 | 76.0 |  |  |  |  |

Appendix. Continued.

|  | Driver DNA |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{gathered} \mathrm{MCL} \\ (N=5) \end{gathered}$ | $\operatorname{LiP}_{(N=3)}$ | $\underset{(N=3)}{\left(\mathrm{GHL}_{3}\right)}$ | $\begin{aligned} & \text { NEW } \\ & (N=3) \end{aligned}$ | $\begin{gathered} \text { HOR } \\ (N \div 4) \end{gathered}$ | $\begin{gathered} \operatorname{SEN}_{(N=4} \end{gathered}$ | $\begin{gathered} \underset{(N=5)}{\mathrm{HIG}}) \end{gathered}$ | $\operatorname{ind}_{(N=4)}$ | $\begin{gathered} \text { MAS } \\ (N=4) \end{gathered}$ | $\left.{ }_{(N)}^{\text {BAT }}=4\right)$ |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 57.13 | 54.40 | 52.59 | 52.72 | 49.03 | 49.39 | 47.24 | 48.90 | 48.77 | 47.41 |
| SE | 0.16 | 0.13 | 0.20 | 0.14 | 0.26 | 0.11 | 0.20 | 0.07 | 0.22 | 0.09 |
| TL (bp) | 392 | 455 | 537 | 511 | 266 | 331 | 115 | 297 | 385 | 383 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.41 | 55.50 | 53.52 | 53.70 | 50.91 | 50.90 | 51.59 | 50.58 | 50.07 | 48.71 |
| R\% | 80.3 | 77.4 | 77.2 | 77.6 | 65.8 | 67.9 | 65.6 | 59.8 | 60.1 | 51.8 |
| NPR | 100.0 | 96.4 | 96.1 | 96.6 | 82.0 | 84.5 | 81.7 | 74.5 | 74.8 | 64.5 |
| H) Tracer = NEW: |  |  |  |  |  |  |  |  |  |  |
|  | Driver DNA |  |  |  |  |  |  |  |  |  |
|  | $\begin{aligned} & \text { NEW } \\ & (N=3) \end{aligned}$ | ${ }_{(N=4)}^{\text {Gil }}$ | $\underset{\substack{\mathrm{MCl} \\(N=5)}}{ }$ | $\operatorname{LiP}_{(N=3)}$ | $\begin{gathered} \text { HOR } \\ (N=4) \end{gathered}$ | $\begin{gathered} \text { HIG } \\ (N=7) \end{gathered}$ | $\begin{aligned} & \left(N D_{4}\right) \end{aligned}$ | $\mathbf{M A S}_{(N=5)}$ |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 56.48 | 55.63 | 52.64 | 52.84 | 49.56 | 47.60 | 46.65 | 48.85 |  |  |
| SE | 0.23 | 0.08 | 0.18 | 0.07 | 0.26 | 0.10 | 0.03 | 0.06 |  |  |
| TL (bp) | 325 | 386 | 284 | 516 | 270 | 117 | 157 | 324 |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.02 | 56.96 | 54.40 | 53.81 | 51.41 | 51.88 | 49.83 | 50.39 |  |  |
| R\% | 73.6 | 55.9 | 52.3 | 57.6 | 41.9 | 45.6 | 42.2 | 46.6 |  |  |
| NPR | 100.0 | 75.9 | 71.0 | 78.3 | 56.8 | 61.9 | 57.3 | 63.2 |  |  |
| 1) Tracer $=$ ARG: $\quad$ Driver DNA |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |
|  | $\begin{gathered} \stackrel{\mathrm{ARG}}{(N=4)} \end{gathered}$ | $\underset{(N=6)}{\substack{\text { BEC }}}$ | $\begin{aligned} & \mathrm{inD}_{(N=6)} \end{aligned}$ | $\begin{gathered} \text { MAS } \\ (N=9) \end{gathered}$ | $\begin{gathered} \mathrm{HOR} \\ (N=4) \end{gathered}$ | $\begin{gathered} \mathrm{HiG}_{(N=4)} \end{gathered}$ | $\underset{(N=3)}{\mathrm{MON}}$ | $\underset{(N=4)}{M C L}$ | $\begin{gathered} \begin{array}{c} \mathrm{BAT} \\ (N=8) \end{array} \end{gathered}$ | $\left.{ }_{(N)}^{\text {BBC }}=2\right)$ |
| $t_{\text {m }}\left({ }^{\circ} \mathrm{C}\right)$ | 56.23 | 51.58 | 51.62 | 51.69 | 46.77 | 43.45 | 46.63 | 48.01 | 47.60 | 45.26 |
| SE | 0.20 | 0.26 | 0.12 | 0.24 | 0.14 | 0.03 | 0.15 | 0.08 | 0.32 | (0.06) |
| TL (bp) | 278 | 516 | 389 | 430 | 185 | 83 | 160 | 285 | 437 | 218 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.03 | 52.55 | 52.90 | 52.85 | 49.47 | 49.48 | 49.74 | 49.76 | 48.74 | 47.58 |
| R\% | 98.5 | 71.3 | 68.1 | 70.3 | 37.6 | 26.7 | 28.0 | 27.0 | 39.4 | 40.3 |
| NPR | 100.0 | 72.4 | 69.1 | 71.3 | 38.1 | 27.1 | 28.4 | 27.4 | 40.0 | 40.9 |

Appendix. Continued.

Appendix. Continued.

| M) Tracer = CUM: |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Driver DNA |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  | $\begin{aligned} & \text { CUM } \\ & (N=3) \end{aligned}$ | $\begin{gathered} \mathrm{BBC} \\ (N=3) \end{gathered}$ | $\begin{gathered} \mathrm{GRE} \\ (N=6) \end{gathered}$ | $\begin{aligned} & \text { MAM } \\ & (N=3) \end{aligned}$ | $\begin{gathered} \mathrm{BAT}_{1} \\ (N=3) \end{gathered}$ | $\underset{(N=2)}{\mathrm{HIS}}$ |  |  |  |  |  |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 56.72 | 53.77 | 49.30 | 50.75 | 52.50 | 52.72 |  |  |  |  |  |  |  |
| SE | 0.22 | 0.10 | 0.33 | 0.22 | 0.23 | (0.27) |  |  |  |  |  |  |  |
| TL (bp) | 306 | 269 | 311 | 241 | 283 | 251 |  |  |  |  |  |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.35 | 55.63 | 50.91 | 52.83 | 54.27 | 54.71 |  |  |  |  |  |  |  |
| R\% | 88.7 | 77.0 | 77.4 | 73.8 | 76.6 | 71.2 |  |  |  |  |  |  |  |
| NPR | 100.0 | 86.8 | 87.3 | 83.2 | 86.3 | 80.3 |  |  |  |  |  |  |  |
| N) Tracer = BAT: $\quad$ Driver DNA |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  | $\begin{gathered} \text { BAT } \\ (N=8) \end{gathered}$ | $\begin{aligned} & \text { WIN } \\ & (N=3) \end{aligned}$ | $\begin{gathered} \text { HIS } \\ (N=3) \end{gathered}$ | $\begin{gathered} \text { MAM } \\ (N=3) \end{gathered}$ | $\begin{gathered} \mathrm{BBC} \\ (N=3) \end{gathered}$ | $\begin{gathered} \text { DOL } \\ (N=1) \end{gathered}$ |  |  |  |  |  |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 57.00 | 52.43 | 55.36 | 50.38 | 52.61 | 37.95 |  |  |  |  |  |  |  |
| SE | 0.13 | 0.25 | 0.11 | 0.37 | 0.17 | - |  |  |  |  |  |  |  |
| TL (bp) | 341 | 140 | 292 | 295 | 316 | 159 |  |  |  |  |  |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.46 | 56.01 | 57.07 | 52.08 | 54.19 | 41.08 |  |  |  |  |  |  |  |
| R\% | 71.7 | 71.2 | 69.0 | 65.4 | 63.5 | 32.1 |  |  |  |  |  |  |  |
| NPR | 100.0 | 99.3 | 96.3 | 91.3 | 88.5 | 44.8 |  |  |  |  |  |  |  |
| O) Tracer = HIS: |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  | river DNA |  |  |  |  |  |  |
|  | $\begin{gathered} \mathrm{HIS} \\ (N=5) \end{gathered}$ | $\begin{gathered} \text { KOG } \\ (N=5) \end{gathered}$ | $\begin{gathered} \text { WIN } \\ (N=3) \end{gathered}$ | $\begin{gathered} \text { BAT } \\ (N=4) \end{gathered}$ | $\begin{gathered} \mathrm{BBC} \\ (N=4) \end{gathered}$ | $\begin{gathered} \text { WHE } \\ (N=3) \end{gathered}$ | $\mathrm{LIM}_{(N=3)}$ | $\begin{gathered} \text { GRE } \\ (N=3) \end{gathered}$ | $\underset{(N=3)}{\text { GIL }_{2}}$ | $\begin{gathered} \mathrm{MCL} \\ (N=3) \end{gathered}$ | $\underset{(N=3)}{\mathrm{HIG}}$ | $\begin{gathered} \mathrm{MON} \\ (N=3) \end{gathered}$ | $\begin{gathered} \mathrm{ARG} \\ (N=3) \end{gathered}$ |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 57.70 | 53.84 | 54.60 | 56.48 | 53.57 | 52.40 | 49.19 | 50.15 | 47.97 | 46.65 | 46.52 | 45.90 | 45.71 |
| SE | 0.13 | 0.23 | 0.20 | 0.19 | 0.11 | 0.26 | 0.02 | 0.10 | 0.13 | 0.15 | 0.21 | 0.07 | 0.26 |
| TL (bp) | 470 | 228 | 284 | 543 | 398 | 370 | 391 | 579 | 552 | 341 | 211 | 299 | 276 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.76 | 56.03 | 56.36 | 57.40 | 54.83 | 53.75 | 50.47 | 51.01 | 48.88 | 48.12 | 48.89 | 47.57 | 47.55 |
| R\% | 78.8 | 65.3 | 71.8 | 70.8 | 58.7 | 52.8 | 53.6 | 54.6 | 46.7 | 41.4 | 41.7 | 42.5 | 41.0 |
| NPR | 100.0 | 83.4 | 91.7 | 90.4 | 75.0 | 67.4 | 68.4 | 69.8 | 59.7 | 52.9 | 53.3 | 54.3 | 52.4 |

Appendix. Continued.

| P) $\mathrm{Tracer}=$ KOG: |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Driver DNA |  |  |  |  |  |  |  |
|  | $\underset{\substack{\mathrm{KOG} \\ N=4)}}{ }$ | $\stackrel{H}{(N=4)}_{\mathrm{HIS}_{4}}$ | $\begin{gathered} \substack{\text { MAM } \\ (N=4)} \end{gathered}$ |  |  |  |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 55.28 | 50.66 | 49.16 |  |  |  |  |  |
| SE | 0.28 | 0.06 | 0.12 |  |  |  |  |  |
| TL (bp) | 121 | 82 | 117 |  |  |  |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 59.40 | 56.78 | 53.42 |  |  |  |  |  |
| R\% | 73.2 | 58.9 | 53.2 |  |  |  |  |  |
| NPR | 100.0 | 80.4 | 72.7 |  |  |  |  |  |
| Q) Tracer = WIN: |  |  |  |  |  |  |  |  |
|  | Driver DNA |  |  |  |  |  |  |  |
|  | ${\underset{(N T}{(N=6)}}_{\text {Win }}^{2}$ | $\underset{(N=3)}{\mathrm{HIS}_{3}}$ | $\begin{aligned} & \text { BAT } \\ & (N=3) \end{aligned}$ | $\begin{aligned} & \text { MON } \\ & (N=2) \end{aligned}$ |  |  |  |  |
| $t_{\text {m }}\left({ }^{\circ} \mathrm{C}\right)$ | 57.89 | 56.35 | 55.67 | 46.84 |  |  |  |  |
| SE | 0.20 | 0.02 | 0.14 | (0.02) |  |  |  |  |
| TL (bp) | 355 | 494 | 338 | 230 |  |  |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 59.30 | 57.36 | 57.15 | 49.01 |  |  |  |  |
| R\% | 82.0 | 76.7 | 75.5 | 39.4 |  |  |  |  |
| NPR | 100.0 | 93.7 | 92.1 | 48.0 |  |  |  |  |
| R) $\operatorname{Tracer}=$ GRE: |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |
|  | $\begin{gathered} \text { GRE } \\ (N=4) \end{gathered}$ | $\operatorname{Lim}_{(N=3)}$ | $\overline{(N=5)}$ | $\begin{aligned} & \text { MAM } \\ & (N=4) \end{aligned}$ | $\underset{(N=3)}{\mathrm{HIS}_{3}}$ | $\begin{gathered} \mathrm{GIL}_{(N=4)} \end{gathered}$ | $\begin{aligned} & \text { MON } \\ & (N=6) \end{aligned}$ | ${ }_{\left({ }^{\text {ARG }}=4\right)}$ |
| $t_{\text {m }}\left({ }^{\circ} \mathrm{C}\right)$ | 58.18 | 57.65 | 50.65 | 50.29 | 50.91 | 47.68 | 47.98 | 45.20 |
| SE | 0.08 | 0.13 | 0.18 | 0.11 | 0.08 | 0.39 | 0.31 | 0.25 |
| TL (bp) | 502 | 490 | 327 | 271 | 454 | 350 | 300 | 146 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 59.18 | 58.67 | 52.18 | 52.13 | 52.01 | 49.11 | 49.65 | 48.60 |
| R\% | 78.7 | 65.3 | 59.2 | 53.9 | 51.8 | 44.9 | 44.8 | 43.5 |
| NPR | 100.0 | 83.0 | 75.3 | 68.4 | 65.8 | 57.0 | 56.9 | 55.3 |

Appendix. Continued.


Appendix. Continued.

|  |  |  |  | Driver DNA |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | $\begin{aligned} & \substack{\text { MAM } \\ N=3)} \end{aligned}$ | $\begin{gathered} \mathrm{WHE} \\ (N=3) \end{gathered}$ | $\begin{aligned} & \text { BAT } \\ & (N=4) \end{aligned}$ | $\begin{gathered} \mathrm{BBC} \\ (\mathrm{~N}=4) \end{gathered}$ | $\begin{aligned} & \text { GRE } \\ & (N=4) \end{aligned}$ | $\operatorname{Lim}_{(N=3)}$ | ${ }_{(N=3)}^{\text {ARG }}$ |
| $t_{\text {m }}\left({ }^{\circ} \mathrm{C}\right)$ | 57.45 | 55.10 | 51.61 | 51.57 | 49.93 | 49.64 | 43.68 |
| SE | 0.17 | 0.20 | 0.07 | 0.02 | 0.19 | 0.35 | 0.11 |
| TL (bp) | 243 | 216 | 224 | 212 | 279 | 338 | 99 |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 59.50 | 57.40 | 53.84 | 53.92 | 51.72 | 51.12 | 48.74 |
| R\% | 77.5 | 70.4 | 67.0 | 57.8 | 57.7 | 62.7 | 42.9 |
| NPR | 100.0 | 90.9 | 86.5 | 74.6 | 74.5 | 80.9 | 55.4 |
| w) Tracer = WHE: |  |  |  |  |  |  |  |
| Driver DNA |  |  |  |  |  |  |  |
|  | $\begin{aligned} & \text { WHE } \\ & (N=3) \end{aligned}$ | $\begin{aligned} & \text { MAM } \\ & (N=5) \end{aligned}$ | $\operatorname{His}_{(N=3)}^{\mathrm{His}}$ | $\begin{aligned} & \begin{array}{c} \mathrm{BBC} \\ (N=4) \end{array} \end{aligned}$ |  |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.02 | 56.60 | 52.43 | 52.62 |  |  |  |
| SE | 0.18 | 0.17 | 0.12 | 0.17 |  |  |  |
| TL (bp) | 281 | 440 | 239 | 396 |  |  |  |
| $T_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 59.80 | 57.73 | 54.51 | 53.88 |  |  |  |
| R\% | 74.9 | 74.5 | 64.3 | 66.1 |  |  |  |
| NPR | 100.0 | 99.5 | 85.9 | 88.3 |  |  |  |
| X) $\mathrm{Tracer}=\mathrm{DOL}$ : |  |  |  |  |  |  |  |
| Driver DNA |  |  |  |  |  |  |  |
|  | $\begin{gathered} \mathrm{DOL} \\ (N=3) \end{gathered}$ | $\underset{(N=3)}{(\mathrm{MON}}$ | $\begin{gathered} \mathrm{WIN} \\ (N=2) \end{gathered}$ | $\begin{aligned} & \mathrm{BAT} \\ & (N=3) \end{aligned}$ |  |  |  |
| $t_{\mathrm{m}}\left({ }^{\circ} \mathrm{C}\right)$ | 58.02 | 40.28 | 39.31 | 38.04 |  |  |  |
| SE | 0.20 | 0.25 | (0.01) | 0.51 |  |  |  |
| TL (bp) | 460 | 398 | 198 | 217 |  |  |  |
| $T_{\text {m }}\left({ }^{\circ} \mathrm{C}\right)$ | 59.11 | 41.53 | 41.83 | 40.34 |  |  |  |
| R\% | 80.5 | 37.4 | 30.5 | 30.7 |  |  |  |
| NPR | 100.0 | 46.4 | 37.9 | 38.1 |  |  |  |


[^0]:    E. adelphus (forest-dwelling)

    MON; Moonshiner's Cave, Henderson Co., NC HIG; Highlands, Macon Co., NC
    E. puteanus (forest-dwelling)

    HOR; Horse Cave, Meigs Co., OH
    SEN; Seneca Caverns, Pendleton Co., WV
    E. fragilis (cave-dwelling)

    GIL; Gilley Cave, Lee Co., VA
    LIP; Lipps Cave, Greenbrier Co., WV
    MCL; McClungis Cave, Greenbrier Co., WV
    NEW; New Mammoth Cave, Campbell Co., TN
    E. insolitus (cave-dwelling)

    BEC; Aunt Beck Simmons Cave, Macon Co., TN
    IND; Indian Grave Point Cave, De Kalb Co., TN
    MAS; Mason Cave, Sumner Co., TN
    ARG; Argo Cave, Jefferson Co., AL
    H. barri (cave-dwelling)

    CUM; Cumberland Caverns, Warren Co., TN
    H. cumberlandicus (cave-dwelling)
    bAT; Bat Cave, Carter Cave State Park, Carter Co., KY
    HIS; Hisel Cave, Jackson Co., KY
    KOG; Koger Cave, Wayne Co., KY
    WIN; Wind Cave, Pulasky Co., KY
    H. opilionoides (cave-dwelling)

    BBC; Big Bone Cave, Van Buren Co., TN
    BLF; Blind Fish Cave, White Co., TN
    H. subterraneus (cave-dwelling)

    MAM; Mammoth Cave, Marion Avenue, Edmonson Co., KY
    WHE; Wheeler Cave, Logan Co., KY
    H. jonesi (cave-dwelling)

    LIM; Limrock Blowing Cave, Jackson Co., AL
    GRE; Doug Green Cave, Jackson Co., AL
    D. laetitiae (cave-dwelling)

    DOL; Formello, Rome, ITALY

